

Simulations of the Sunyaev-Zel'dovich Effect Michael Peel, Richard Battye, Scott Kay arXiv:0903.5473

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MNRAS, submitted

Virtual Sky Simulations

We create simulations of the 30 GHz sky using three components: the Cosmic Microwave Background (CMB), the Sunyaev-Zel'dovich Effect from the scattering of CMB photons by hot gas in groups and clusters of galaxies, and foreground point sources.

Power Spectrum Statistics

Binning the power spectra from the sets of 1000 realisations, we look at the statistics of the SZ power spectrum. We find that the distribution is wider than expected from Gaussian statistics by a factor of 3 and broadens an extra 10-15% due to clustering. The distribution is also positively skewed, especially for small maps.

Non-gaussian and skewed histograms





Figure 1: A map of the CMB



Figure 2: A map of the SZ effect (1x1 degree)



Maps of the CMB are created using a power spectrum generated by CAMB (Lewis, Challinor & Lasenby, 2000) under the assumption that the CMB is a Gaussian random field. An example 1x1 degree realisation of the CMB is shown in Figure 1.

The Sunyaev-Zel'dovich Effect

Two models are required to create maps of the SZ effect: the distribution of the groups and clusters, and a model of the cluster profile. The former is generated using Pinocchio (Monaco, Theuns & Taffoni), which uses Lagrangian perturbation theory to collapse large-scale matter into clusters and groups of galaxies. We create 1000 cluster catalogues each of 3x3 degrees from 100 Pinocchio runs for each of three values of σ_8 : 0.75, 0.825 and 0.9.

Figure 5 shows the histogram of the power spectra within a multipole bin of I=3000-4000 for nine thousand 1x1 degree maps of the CMB and SZ effect. The red line shows the expected distribution from Gaussian realisations with the same mean power spectrum. The blue line shows the best Gaussian fit. The histogram is clearly broader than Gaussian, and is skewed towards higher values.

Effects of gas physics

We investigate the effect of gas $\sqrt{2}$ physics on the statistics by $\frac{2}{R}$ 80 changing the parameters within 60 their allowed range. This leads $\widehat{\Xi}$ 40 to changes in the mean power 20 spectra that are comparable to those from the range of σ_8 and 1000 2000 3000 4000 5000 6000 7000 8000 can significantly increase the Figure 6: Changing the cluster profile results in changes in the mean power spectra (solid lines) standard deviation. Figure 6 comparable to that from different σ_8 (error bar) shows the effect of changing the profile of the SZ effect, β , on the mean power spectrum; changing from $\beta = 2/3$ to 1 doubles the mean power spectrum and triples the standard deviation at I=2000-4000.







Figure 3: The combined CMB and SZ effect maps

We use a simple, spherically symmetric cluster model using an isothermal beta model and a power law relation for the normalization as a function of mass, choosing parameters comparable to those from recent cosmological gas simulations.

Figure 2 shows an example realisation of the SZ effect for $\sigma_8=0.825$, containing nearly 2000 groups and clusters within a 1x1 degree area (6 arcsecond resolution). The combination with the CMB is shown in Figure 3.

Point Sources

We introduce point sources $\widehat{\sigma}$ into the realisations using number counts as a function 100 of flux from the model by 🛓 Toffolatti et al. (1998; see 🕺 Figure 4) normalised to agree 10 with observations by WMAP 10 100 1000 10000 (Bennett et al. 2003; pink in Flux (mJy) Figure 4: Differential point source number counts. Figure 4), DASI (Kovac et al. 2002, blue), VSA (Cleary et al. 2005, green), CBI (Mason et al. 2003, red) and GBT (Mason et al. 2009, grey). The point sources are either randomly positioned on the maps or clustered according to the surface mass distribution from the galaxy groups and clusters.



Implications for the high multipole excess

An excess of power has been measured at high multipoles by the Cosmic Background Imager *a* (CBI; Sievers et al. 2009), BIMA (Dawson et al. 2006) and weakly by ACBAR (Reichardt et 2 al. 2008), although curiously observations by the SZA (Sharp 2009) QUAD and et al. detect this excess.



(Friedman et al. 2009) do not Figure 7: Statistics within the highest CBI multipole bin for $\sigma_8=0.825$.

Figure 7 shows the statistics from 0.75x0.75 (light grey) and 3x3 degree (dark grey) realisations in the highest CBI multipole bin along with the central and 1 sigma values measured by CBI; the distributions are skewed sufficiently for some realisations to match the measured power, but these are rare (0.36%). These become more likely when the mean power spectra is increased by using a different value of σ_8 (2.4% for $\sigma_8=0.9$), using different gas physics 1mJy point sources).

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M. Peel acknowledges the support of an STFC studentship.